## Art Exhibition

An art exhibition will be held in Republic of JOI. Many artworks from all over the country will be displayed in the art exhibition.

There are $N$ artworks which are candidates for the exhibition. The artworks are numbered from 1 to $N$. Two integers are defined for each artwork: its size and its value. The size of the artwork $i(1 \leq i \leq N)$ is $A_{i}$, and the value of the artwork $i$ is $B_{i}$.

In the art exhibition, at least one artwork will be chosen and displayed. Since the exhibition hall is large enough, it is possible to display all of the $N$ artworks. However, due to the aesthetic sense of people in Republic of JOI, we want to choose artworks for the exhibition so that the difference between the sizes of the displayed artworks is not too large. On the other hand, we want to display many artworks with large value. We decided to choose the artworks for the exhibition by the following rule:

- Among chosen artworks for the exhibition, let $A_{\max }$ be the largest size of the chosen artworks, and $A_{\text {min }}$ be the smallest size of the chosen artworks. Let $S$ be the total value of the chosen artworks.
- Then, we want to maximize $S-\left(A_{\max }-A_{\min }\right)$.


## Task

Given the number of candidates of artworks for the exhibition, and the size and the value of each artwork, write a program which calculates the maximum of $S-\left(A_{\max }-A_{\min }\right)$.

## Input

Read the following data from the standard input.

- The first line contains an integer $N$, the number of candidates of artworks for the exhibition.
- The $i$-th line $(1 \leq i \leq N)$ of the following $N$ lines contains two space separated integers $A_{i}, B_{i}$. This means the size of the artwork $i$ is $A_{i}$, and the value of the artwork $i$ is $B_{i}$.


## Output

Write one line to the standard output. The output should contain the maximum of $S-\left(A_{\max }-A_{\min }\right)$.

## Constraints

All input data satisfy the following conditions.

- $2 \leq N \leq 500000$.
- $1 \leq A_{i} \leq 1000000000000000=10^{15}(1 \leq i \leq N)$.
- $1 \leq B_{i} \leq 1000000000(1 \leq i \leq N)$.


## Subtask

## Subtask 1 [10 points]

- $N \leq 16$.


## Subtask 2 [20 points]

- $N \leq 300$.


## Subtask 3 [20 points]

- $N \leq 5000$.


## Subtask 4 [50 points]

- There are no additional constraints.


## Sample Input and Output

| Sample Input 1 | Sample Output 1 |
| :--- | :--- |
| 3 | 6 |
| 23 |  |
| 11 2 |  |
| 45 | 5 |

In this sample input, there are 3 candidates of artworks for the exhibition. The size and the value of each artwork are as follows:

- The artwork 1 has size 2 , and value 3 .
- The artwork 2 has size 11 , and value 2 .

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- The artwork 3 has size 4 , and value 5 .

In this case, if we choose the artwork 1 and the artwork 3 for the exhibition, we have $S-\left(A_{\max }-A_{\min }\right)=6$ by the following way:

- Among the chosen artworks, the artwork 3 has the largest size. Therefore, $A_{\max }=4$.
- Among the chosen artworks, the artwork 1 has the smallest size. Therefore, $A_{\min }=2$.
- The total value of the chosen artworks is $3+5=8$. Therefore, $S=8$.

Since $S-\left(A_{\max }-A_{\min }\right)$ cannot be greater than 7 , output 6 .
$\left.\begin{array}{|l|l|}\hline \text { Sample Input 2 } & \text { Sample Output 2 } \\ \hline 6 & 7 \\ 4 & 1 \\ 1 & 5 \\ 10 & 3 \\ 9 & 1 \\ 4 & 2\end{array}\right]$

| Sample Input 3 | Sample Output 3 |  |
| :--- | :--- | :--- |
| 15 | 4232545716 |  |
| 1543361732 | 260774320 |  |
| 2089759661 | 257198921 |  |
| 1555665663 | 389548466 |  |
| 4133306295 | 296394520 |  |
| 2596448427 | 301103944 |  |
| 1701413087 | 274491541 |  |
| 2347488426 | 912791996 |  |
| 2133012079 | 444074242 |  |
| 2659886224 | 656957044 |  |
| 1345396764 | 259870638 |  |
| 2671164286 | 233246973 |  |
| 2791812672 | 585862344 |  |
| 2996614635 | 91065315 |  |
| 971304780 | 488995617 |  |
| 1523452673 | 988137562 |  |

