## Task: Svjetlost

In a plane, if we have a convex polygon $P$, and we place a source of light at a point $T$ located outside the polygon, it lights up some edges of $P$ - if $A$ and $B$ are two consecutive polygon vertices, then the edge $\overline{A B}$ is lit up if the area of the triangle $\triangle T A B$ is not zero, and if it doesn't intersect the inside of the polygon. The brightness of the polygon is the sum of the lengths of lit up edges, and the maximal brightness of a polygon is the maximal possible brightness we can achieve if we select an optimal point $T$. The distance between point $T$ and the polygon can be arbitrary, and the coordinates of point $T$ don't necessarily need to be integers.


Figure 4: Polygons $P, P_{1}, P_{2}$ and $P_{3}$ from the second test case, the optimal brightness is marked.

You are given a convex polygon $P$ whose vertices are, respectively, points $A_{1}, A_{2}, \ldots, A_{n}$. The polygon is changed in $q$ steps - in the $j$ th step, we delete an existing polygon vertex, and obtain a new polygon $P_{j}$. More precisely, the vertices of polygon $P_{j}$ are the vertices of $P$ that haven't been deleted yet, and their order is the same as in polygon $P$. It is easy to see that each polygon $P_{j}$ is convex too.

Determine the maximal brightness of the polygon $P$ and each of the obtained polygons $P_{1}, P_{2}, \ldots, P_{q}$.

## Input

The first line of input contains the positive integer $n$ - the number of vertices of the initial polygon $P$. The $j$ th of the following $n$ lines contains two integers $x_{j}$ and $y_{j}\left(-10^{9} \leq x_{j}, y_{j} \leq 10^{9}\right)$ - the coordinates of vertex $A_{j}$. The following line contains the integer $q(0 \leq q \leq n-3)$ - the number of steps. The $j$ th of the following $q$ lines contains the integer $k_{j}\left(1 \leq k_{j} \leq n\right)$ that denotes that in the $j$ th step we delete the vertex $A_{k_{j}}$. You can assume that the vertices $A_{j}$ in polygon $P$ are given counter-clockwise, that two consecutive parallel lines do not exist, and that all indices $k_{j}$ are mutually distinct.

## Output

You must output $q+1$ lines. The first line must contain the maximal brightness of the initial polygon $P$, and the $j$ th of the following $q$ lines must contain the maximal brightness of polygon $P_{j}$ obtained after $j$ steps. For each line of output, an absolute and relative deviation from the official solution by $10^{-5}$ will be tolerated.

## Scoring

Subtask Score Constraints

| 1 | 12 | $n \leq 100$ |
| :--- | :--- | :--- |
| 2 | 14 | $n \leq 2000$ |
| 3 | 14 | $n \leq 100000, q=0$ |
| 4 | 29 | $n \leq 100000$, for each $j=1, \ldots, q-1$ it holds $k_{j}<k_{j+1}$ |
| 5 | 31 | $n \leq 100000$ |

## Sample tests

| input | input |
| :--- | :--- |
| 4 | 6 |
| 00 | 22 |
| 100 | 40 |
| 1010 | 6 0 |
| 010 | 82 |
| 1 | 84 |
| 2 | 2 4 |
| output | 3 |
| 20.000000 | 1 |
| 24.142136 | 4 |
|  | 3 |
|  | output |
|  | 10.828427 |
|  | 11.300563 |
|  | 10.944272 |
|  | 11.656854 |

