

It is a little-known story that the young Carl Friedrich Gauss was restless in class, so his teacher came up with a task to keep him preoccupied.

The teacher gave him a series of positive integers  $F(1), F(2), \dots, F(K)$ . We consider  $F(t) = 0$  for  $t > K$ . Additionally, she has given him a set of lucky numbers and the price of each lucky number. If  $X$  is a lucky number, then  $C(X)$  denotes its price.

Initially, there's a positive integer  $A$  written on the board. In each move, Carl must make one of the following things:

- If number  $N$  is currently written on the board, then Carl can write one of its divisors  $M$ , smaller than  $N$ , instead of  $N$ . If he writes the number  $M$ , the price of the move is  $F(d(N/M))$ , where  $d(N/M)$  is the number of divisors of the positive integer  $N/M$  (including  $N/M$ ).
- If  $N$  is a lucky number, Carl can leave that number on the board, and the price of the move is  $C(N)$ .

Carl must make **exactly**  $L$  moves, and after he has made all of his moves, the number  $B$  must be written on the board. Let's denote  $G(A, B, L)$  as the minimal price with which Carl can achieve this.

If it is not possible to make  $L$  such moves, we define  $G(A, B, L) = -1$ .

The teacher has given Carl  $Q$  queries. In each query, Carl gets numbers  $A$  and  $B$  and must calculate the value  $G(A, B, L_1) + G(A, B, L_2) + \dots + G(A, B, L_M)$ , where numbers  $L_1, \dots, L_M$  are the same for all queries.

### INPUT

The first line of input contains the positive integer  $K$  ( $1 \leq K \leq 10\,000$ ).

The second line contains  $K$  positive integers  $F(1), F(2), \dots, F(K)$  that are less than or equal to  $1\,000$ .

The following line contains the positive integer  $M$  ( $1 \leq M \leq 1\,000$ ).

The following line contains  $M$  positive integers  $L_1, L_2, \dots, L_M$  that are less than or equal to  $10\,000$ .

The following line contains the positive integer  $T$ , the total number of lucky numbers ( $1 \leq T \leq 50$ ).

Each of the following  $T$  lines contains numbers  $X$  and  $C(X)$  that denote that  $X$  is a lucky number, and  $C(X)$  is his price ( $1 \leq X \leq 1\,000\,000$ ,  $1 \leq C(X) \leq 1\,000$ ).

Each lucky number appears at most once.

The following line contains the positive integer  $Q$  ( $1 \leq Q \leq 50\,000$ ).

Each of the following  $Q$  lines contains 2 positive integers  $A$  and  $B$  ( $1 \leq A, B \leq 1\,000\,000$ ).

### OUTPUT

You must output  $Q$  lines. The  $i^{\text{th}}$  line contains the answer to the  $i^{\text{th}}$  query defined in the task.

**SAMPLE TESTS**

**input**

4  
1 1 1 1  
2  
1 2  
2  
2 5  
4 10  
1  
4 2

**output**

7

**input**

3  
6 9 4  
2  
5 7  
3  
1 1  
7 8  
6 10  
2  
6 2  
70 68

**output**

118  
-2

**input**

3  
8 3 10  
2  
8 4  
3  
1 6  
5 1  
3 7  
2  
5 1  
3 1

**output**

16  
66

**Clarification of the first test case:**

$L_1 = 1$ , so Carl can make exactly one move - replace number 4 with number 2, so  $G(4, 2, 1) = F(d(2)) = 1$ .

$L_2 = 2$  so Carl has two options:

- He can replace number 4 with number 2 and then leave number 2 (because it's a lucky number), so he pays the price  $F(d(4/2)) + C(2) = 1 + 5 = 6$
- He can leave number 4 in the first move, and replace it in the second move with number 2, so the price is  $C(4) + F(d(4/2)) = 10 + 1 = 11$

The first option costs less, so  $G(4, 2, 2) = 6$ .

The answer to the query is  $G(4,2,1) + G(4,2,2) = 7$ .